Virtual Laser Scanner for GroIMP

1 Introduction

The "Scanner" is a module implementing a virtual laser scanning device. To use it, first import the module :

```
import de.grogra.rgg.Scanner ;
```

and create a new instance:

```
Scanner ls = new Scanner() ;
```

Then, the process of points acquisition can be seen as follow:

- 1. set a ray "length";
- 2. set an origin, and directions for the rays;
- 3. shoot the rays, store the returned data;
- 4. repeat until enough points are acquired.

This process can be done step-by-step, or a method implementing a scanning according to some pre-defined schedule can be used.

2 Shooting of the rays

The rays are always shot according to two angular parameters $(\theta_{range}, \phi_{range})$ defining the solid angle that will be scanned, two parameters $(\theta_{step}, \phi_{step})$ defining the resolution with which it will be scanned, and a direct orthonormal basis $(\overrightarrow{x}, \overrightarrow{y}, \overrightarrow{z})$ serving as reference (see below).

In the spherical coordinate system based on the reference basis $(\overrightarrow{x}, \overrightarrow{y}, \overrightarrow{z})$, rays are shot for $\theta \in \left[\frac{-\theta_{range}}{2}, \frac{\theta_{range}}{2}\right]$ with an angular resolution θ_{step} and for $\phi \in \left[\frac{\pi}{2} - \frac{\phi_{range}}{2}, \frac{\pi}{2} + \frac{\phi_{range}}{2}\right]$ with an angular resolution ϕ_{step} (see illustration Fig.1 p.2). Thus, the mean direction of the rays shot is \overrightarrow{x} .

Details concerning the spherical and cylindrical coordinate system used in this module can be found at the end of this document (resp. 4.1 p.6 and 4.2 p.6).

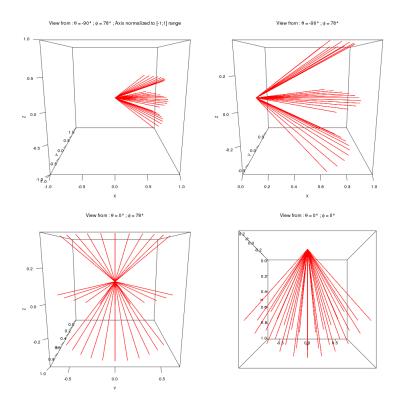


Figure 1: Directions of rays shot for the parameters $\theta_{range} = \frac{\pi}{2}$, $\phi_{range} = \frac{\pi}{4}$, $\theta_{step} = \frac{\pi}{20}$ and $\phi_{step} = \frac{\pi}{8}$.

3 Methods available

Remark: if calling multiple scan methods (e.g. scan, scanCylinder, scanSphere; see below) in a row, be sure to save the returned data after each call, as they will not be kept.

<u>Notations</u>: $Seg(Point3d\ point,\ Vector3d\ vector,\ Double\ l)$ designates the segment which has the point point at one end, the direction vector direction, and of length l.

 $Cir(Point3d\ center,\ Vector3d\ normal,\ Double\ r)$ designates the circle of center center, of radius r and contained in a plane orthogonal to the vector normal.

setRayLength Sets the range of the rays.

void setRayLength(double desiredLength) ;

desiredLenght must be strictly positive.

setBasis Sets the 3-dimensional basis to be used as reference for shooting the rays.

```
void setBasis(Vector3d x, Vector3d y, Vector3d y) ;
```

The 3 vectors must form a direct orthogonal basis.

setRange Sets the angular opening in θ and ϕ .

```
void setRange(double thetaRange,double phiRange) ;
```

If $thetaRange \geq 2 \cdot \pi$ (resp. $phiRange \geq \pi$), then $thetaRange = 2 \cdot \pi$ (resp. $phiRange = \pi$)will be used instead. $thetaRange \leq 0$ (resp. $phiRange \leq 0$) sets an angular opening in theta (resp. phi) of 0 (Note: thetaRange = 0 and phiRange = 0 corresponds at the shooting of only one ray, along the x-axis).

setSteps Sets the resolution in *theta* and *phi*.

```
void setSteps(double thetaStep,double phiStep) ;
```

If $thetaStep \geq thetaRange$ (resp. $phiStep \geq phiRange$), then thetaStep = thetaRange (resp. phiStep = phiRange)will be used instead. $thetaStep \leq 0$ (resp. $phiRange \leq 0$) sets an angular opening in theta (resp. phi) of 0.

setpDrawRay Set the probability of drawing one ray.

```
void setpDrawRay(double p) ;
```

Each ray will be drawn with a probability p (if $p \le 0$ no rays will be drawn, if $p \ge 1$ all the rays will be drawn), thus $n \cdot p$ will be drawn in average (with n the total number of rays shot).

scan Triggers the scanning with the specified options

```
ArrayList<Point3d> scan(Point3d center) ;
```

Rays will be shot from the point center, according to the angular parameters specified. Scanned points are returned in an ArrayList.

writeDataToFile Writes the ArrayList *data* in a file named *fileName*. The data are written according to a "x y z" format.

```
void writeDataToFile(ArrayList<Point3d> data, String fileName) ;
```

scanSegment Moves the origin of the rays along the segment $Seg(startingPoint, direction, (nbSteps - 1) \cdot stepLength)$. Rays are shot at each step according to the specified parameters. Scanned points are returned in an ArrayList.

The vector direction must not be null, stepLenght and nbSteps must be strictly positive.

Please note that for all the following methods, the angular parameters used are those fixed by the methods setRange and setSteps. However, the basis defining the directions of the rays are defined within the methods.

scanCircle Moves the origin of the rays along the circle Cir(center, normal, r). Rays are shot for each angular step angleStep until a complete circle has been covered. Directions of the rays shot are defined by the local cylindrical basis $(-u, -u_{\theta}, normal)$ formed at each step, with respect to the reference basis $(zeroAngleVector, normal \land zeroAngleVector, normal)$. Scanned points are returned in an ArrayList.

The vector zeroAngleVector specifies the angle reference for the circle. It must be orthogonal to normal. If none is specified, an arbitrary vector is used.

scanCylinder Moves the origin of the rays on the surface of the cylinder of axis the segment $Seg(startingPoint, axis, (nbSteps-1) \cdot lengthAxisStep)$ and of radius r. For each step i along the cylinder's axis, the origin of the rays revolves around the cylinder with an angular step angularStep. Rays are shot at each angular step until a complete circle has been covered. Directions of the rays shot are defined by the local cylindrical basis $(-u, -u_{\theta}, axis)$ formed at each angular step, with respect to the reference basis (zeroAngleVector, axis) $\land zeroAngleVector, axis)$. Scanned points are returned in an ArrayList.

The vector zeroAngle Vector specifies the angle reference for each circle. It must be orthogonal to axis. If none is specified, an arbitrary vector is used.

scanSphere Moves the origin of the rays on a sphere of center center and radius r. With respect to the spherical coordinate system based on the basis (x,y,z), the origin of the rays moves from $\phi=0$ to $\phi=\pi$ with a step phiStep, and, for each angle ϕ , from $\theta=0$ to $\theta=2\pi$ with a step thetaStep. Rays are shot for each couple (θ,ϕ) , their directions being defined by the local spherical basis $(-u_r, -u_\phi, u_\theta)$. Scanned points are returned in an ArrayList.

```
ArrayList<Point3d> scanSphere (Point3d center, double r, double phiStep, double thetaStep, Vector3d x, Vector3d y, Vector3d z);
```

(x, y, z) must be a direct orthogonal basis, r and phiStep must be strictly positive. If $thetaStep \leq 0$, then $\theta = 0$ will be used at each step (thus the origin of the rays describes an half circle).

Noise simulation A set of methods enables noise simulation. The introduction of a noise factor is triggered for the parameters θ , ϕ and the hit distance by the following methods :

```
void setThetaNoise(boolean value) ;
  void setPhiNoise(boolean value) ;
void setDistanceNoise(boolean value) ;
```

Each time a point is acquired, a noise factor is added to the angle θ and / or ϕ and / or the hit distance when computing the point's position. Noise on θ and ϕ modifies the direction in which the point is thought to be; noise on the hit distance the distance (in this direction) from the scanner.

The type of noise can be set through the following methods :

type = 0 sets the noise to an uniform pertubation, type = 1 to a gaussian one (any other value inducing no noise at all). adapt = false produces a noise with fixed parameters, whereas adapt = true produces a noise which parameters depends on the real value (see below).

Given the real value α_r of one parameter $(\theta, \phi \text{ or the hit distance})$, the value used to compute the point's position is $\alpha_u = \alpha_r + \epsilon$, where ϵ is the noise. With $\mathcal{U}(a,b)$ denoting the uniform density on [a,b] (a < b), and $\mathcal{N}(\mu,\sigma)$ the gaussian density of mean μ and standard deviation σ , the pertubation ϵ has the corresponding density:

type = adapt =	0	1
false	$\epsilon \sim \mathcal{U}(param1, param2)$	$\epsilon \sim \mathcal{N}(param1, param2)$
true	$\epsilon \sim \mathcal{U}(param1 \cdot \alpha_r, param2 \cdot \alpha_r)$	$\epsilon \sim \mathcal{N}(param1 \cdot \alpha_r, param2 \cdot \alpha_r)$

4 Annexes

4.1 Spherical coordinate system

The spherical coordinate system is a 3d-coordinate system in which the position of a point is specified by two angular parameters θ and ϕ and the radial distance r. Given a direct orthonormal basis $B_0 = (\overrightarrow{x}, \overrightarrow{y}, \overrightarrow{z})$, and a fixed origin point O, these parameters, for some point $M(r, \theta, \phi)$, are defined as follow (see Fig.2 p.7):

$$\theta = \widehat{\overrightarrow{x}}, \widehat{\overrightarrow{OP}}, \ \theta \in [0; 2\pi]$$

$$\phi = \widehat{\overrightarrow{z}}, \widehat{\overrightarrow{OM}}, \ \phi \in [0; \pi]$$

$$r = OM$$

with P the orthogonal projection of M on the plane $(O, \overrightarrow{x}, \overrightarrow{y})$. Note that only the two angular parameters θ and ϕ are needed to define a direction (see Fig.2 p.7).

For each direction (θ, ϕ) a local direct orthonormal basis $B_{(\theta, \phi)} = (\overrightarrow{u_r}, \overrightarrow{u_\phi}, \overrightarrow{u_\theta})$ can be defined, with :

$$\overrightarrow{u_r} = \begin{pmatrix} \cos(\theta) \cdot \sin(\phi) \\ \sin(\theta) \cdot \sin(\phi) \\ \cos(\phi) \end{pmatrix}_{B_0} \overrightarrow{u_\phi} = \begin{pmatrix} \cos(\theta) \cdot \cos(\phi) \\ \sin(\theta) \cdot \cos(\phi) \\ -\sin(\phi) \end{pmatrix}_{B_0} \overrightarrow{u_\theta} = \begin{pmatrix} -\sin(\theta) \\ \cos(\theta) \\ 0 \end{pmatrix}_{B_0}$$

4.2 Cylindrical coordinate system

The cylindrical coordinate system is a 3d-coordinate system in which the position of a point is specified by one angular parameter θ , one distance r and one height z. Given a direct orthonormal basis $B_0 = (\overrightarrow{x}, \overrightarrow{y}, \overrightarrow{z})$, and a fixed origin point O, these parameters, for some point $M(r, \theta, z)$, are defined as follow (see Fig.2 p.7):

$$\theta = \overrightarrow{\overrightarrow{x}}, \overrightarrow{OP}, \ \theta \in [0; 2\pi]$$

$$r = OP$$

$$z = \overrightarrow{OM}. \overrightarrow{z}$$

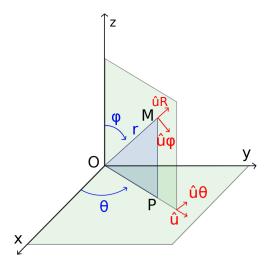


Figure 2: Spherical and Cylindrical coordinate system

with P the orthogonal projection of M on the plane $(O, \overrightarrow{x}, \overrightarrow{y})$ (see Fig.2 p.7).

For each angle θ a local direct orthonormal basis $B_{\theta}=(\overrightarrow{u},\overrightarrow{u_{\theta}},\overrightarrow{z})$ can be dedefined, with :

$$\overrightarrow{u} = \begin{pmatrix} \cos(\theta) \\ \sin(\theta) \\ 0 \end{pmatrix}_{B_0} \overrightarrow{u_{\theta}} = \begin{pmatrix} -\sin(\theta) \\ \cos(\theta) \\ 0 \end{pmatrix}_{B_0}$$